The detrimental effect of insufficient segment support to the liner can be reduced by using a high modulus material, tungsten carbide, for the segment material. This is shown in Figure 18. However, the reduction is not sufficient enough to increase the pressure capability of the ring-segment container to that of the multi-ring container. This conclusion is based on results for various  $k_1$  and  $k_2$ .

The fatigue analysis of the outer ductile cylinders is conducted in the same manner as it was done for the multi-ring container, except now the component numbers are n = 3, 4, ..., N. The result is

$$\frac{p}{\sigma} = \frac{\alpha_r (k_n^2 - 1) (N - 2)}{k_n^2 \left[ \frac{(\alpha_r - \alpha_m)}{2} \frac{(k_1^2 + 1)}{k_2 k_1^2} + \frac{(3\alpha_r + 2\alpha_m)}{k_2 (k_1^2 - 1) (g - h)} \right]}$$
(63)

This result is plotted in Figure 19 which shows the effect of increasing  $k_1$  and comparison with the multi-ring container. Although  $p/\sigma$  can be increased by use of segments, the ring-segment container has the limitation of lower  $p/\sigma_1$  as shown before in Figures 16 and 17.

The effect on  $p/\sigma$  of increasing the segment modulus was also investigated. However, the effects were found to be insignificant.

## Ring-Fluid-Segment Container

The ring-fluid-segment container has been illustrated in Figure 7(c). This container is a combination of a ring-segment container for the inner part and a multi-ring container for the outer part. All of the equations derived for the multi-ring container can be used for the outer part. For the inner part, Equations (54a, b), (55), (56), (57), and (58) apply. The latter equation applies with  $q_3 = 0$ . Equation (59) is valid and can be used to find  $p/\sigma_1$  for the liner. (Equation (60) is not needed since  $p_3$  is given.) Solving for  $p/\sigma_1$ , one finds

$$\frac{p}{\sigma_{1}} = \frac{\alpha_{r} (k_{1}^{2}-1)}{\left[\frac{k_{1}^{2}+1}{2} - \frac{2}{g} \frac{k_{1}^{2}}{(k_{1}^{2}-1)} - 2 \frac{E_{1}}{E_{3}} \frac{p_{3}}{p} \frac{k_{1}^{2} k_{2} k_{3}^{2}}{g(k_{3}^{2}-1)}\right]}$$
(64)

This equation shows that an increase in  $p_3/p$  gives and increases in  $p/\sigma_1$ .

Let  $\sigma_3$  be the ultimate tensile strength of component 3, the outer cylinder of the inner part of the ring-fluid-segment container. If fatigue relation, Equation (12), is used for this cylinder, then there results

$$\sigma_3 = \frac{k_3^2}{k_3^2 - 1} \left[ \frac{5}{2} (p_2 - p_3) - \frac{1}{2} q_2 \right]$$
(65)



FIGURE 18. EFFECT OF ELASTIC MODULUS OF SEGMENTS ON PRESSURE-TO-STRENGTH RATIO,  $p/\sigma_1$ , FOR THE RING-SEGMENT CONTAINER